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## 2. SECOND SECTION

For the inpainting problem we use the following Fokker-Planck equation:

$$\begin{aligned} \frac{\partial u}{\partial t} - \sum_{i,j=1}^2 \frac{\partial^2}{\partial x_i \partial x_j} (a_{ij}(x,u)u) + \operatorname{div}(b(x,u)u) &= 0 \quad \text{for } x \in \mathbb{R}^2, t > 0 \\ u(0,x) &= u_0(x) \quad x \in \mathbb{R}^2 \end{aligned} \quad (1)$$

where  $b(x,u) = (b_1(x,u), b_2(x,u))$ .

*Definition 1.* The family of polynomials  $\{Q_n^{(X)}(x,t), n \geq 0, t \geq 0\}$  satisfying ...

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As regards existence for equation (1) we note the following result established in [13].

**THEOREM 1.** *Assume hypotheses (i)-(iii) are true. Then, for each  $u_0 \in L^1(\mathbb{R}^2)$ , there exists a unique solution  $u = u(\cdot, u_0) \in C([0, \infty); L^1(\mathbb{R}^2))$  to equation (1).*

*Proof.* lorem ipsum lorem ipsum lorem ipsum lorem ipsum lorem ipsum

□

### 2.1. Subsection

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$$S = 1 + \frac{1}{1 + \frac{1}{1 + \frac{1}{1 + \dots}}} \quad (2)$$

$$S = 1 + \frac{1}{S} \quad (3)$$

$$S^2 - S = 0 \quad (4)$$

$$S(S - 1) = 0 \quad (5)$$

**PROPOSITION 1.** *It holds*

$$\begin{aligned} Q_n^{(X_{t+s})}(x, t+s) &= \sum_{k=0}^n \binom{n}{k} Q_k^{(X_s)}(0, s) Q_{n-k}^{(X_t)}(x, t) \\ &= \sum_{k=0}^n \binom{n}{k} Q_k^{(X_t)}(0, t) Q_{n-k}^{(X_s)}(x, s). \end{aligned}$$

*Proof.* Since Lévy processes have independent increments then

$$X_{t+s} = X_{t+s} - X_s + X_s \stackrel{(d)}{=} \hat{X}_t + X_s,$$

where  $\hat{X}_t$  is identically distributed with  $X_t$ . So the claim follows from ... □

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*Remark 1.* lorem ipsum lorem ipsum lorem ipsum lorem ipsum lorem ipsum

### 3. THIRD SECTION

The existence of the weak solution to equation (1) guarantees that the discrete solution of the numerically approximated problem converges to this solution.



Fig. 1 – Siriu Lake, Romania<sup>1</sup>.

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<sup>1</sup>[https://upload.wikimedia.org/wikipedia/commons/thumb/7/70/Siriu\\_Lake.jpg/1920px-Siriu\\_Lake.jpg](https://upload.wikimedia.org/wikipedia/commons/thumb/7/70/Siriu_Lake.jpg/1920px-Siriu_Lake.jpg)

Table 1

Error results for xxxxx -

	$L^1$ -error			PSNR		
	Im1	Im2	Im3	Im1	Im2	Im3
Horizontal	74.9608	91.2995	74.502	43.4653	43.7074	46.7556
Vertical	65.0824	107.3804	77.8157	44.5495	42.4596	46.6387
45°	56.4275	104.2353	72.7608	46.5424	42.8236	47.3217
-45°	59.5137	102.1765	71.5804	46.064	42.4068	46.961

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Examples: as shown by Brown [4, 5]; as mentioned earlier [2, 4–7, 9]; Smith [4] and Brown and Jones [5]; Wood et al. [7].

Examples of references within a reference: [3, Th. 1]; [3, Lemma 2]; [3, pp. 5–10]; [3, eq. (2)]; [3, Fig. 1]; [3, Appendix I]; [3, Sec. 4.5]; [3, Ch. 2, pp. 5–10]; [3, Algorithm 5].

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